

1 LabProcesses

Depth = 3

This package contains an (programming- as well as connection-) interface to serve as a base for the implementation of lab-process software. The first example of an implementation of this interface is for the ball-and-beam process, which is used in Lab1 FRTN35: frequency response analysis of the beam. The lab is implemented in [BallAndBeam.jl](#), a package that makes use of `LabProcesses.jl` to handle the communication with the lab process and/or a simulated version thereof. This way, the code written for frequency response analysis of the beam can be run on another process implementing the same interface (or a simulated version) by changing a single line of code :)

1.1 Installation

1. Start julia by typing `julia` in a terminal, make sure the printed info says it's

v0.6+ running. If not, visit julia.org to get the latest release.

2. Install `LabProcesses.jl` using command `Pkg.clone("https://gitlab.control.lth.se/processes")`. Lots of packages will now be installed, this will take some time. If this is your first time using Julia, you might have to run `julia> Pkg.init()` before you install any packages.

2 How to implement a new process

2.0.1 1.

Locate the file [interface.jl](#). When the package is installed, you find its directory under `./julia/v0.6/LabProcesses/`, if not, run `julia> Pkg.dir("LabProcesses")` to locate the directory. (Alternatively, you can copy all definitions from [/interface_implementations/ballandbeam.jl](#) instead. Maybe it's easier to work from an existing implementation.)

2.0.2 2.

Copy all function definitions.

2.0.3 3.

Create a new file under `/interface_implementations` where you paste all the copied definitions and implement them. See [/interface_implementations/ballandbeam.jl](#) for an example.

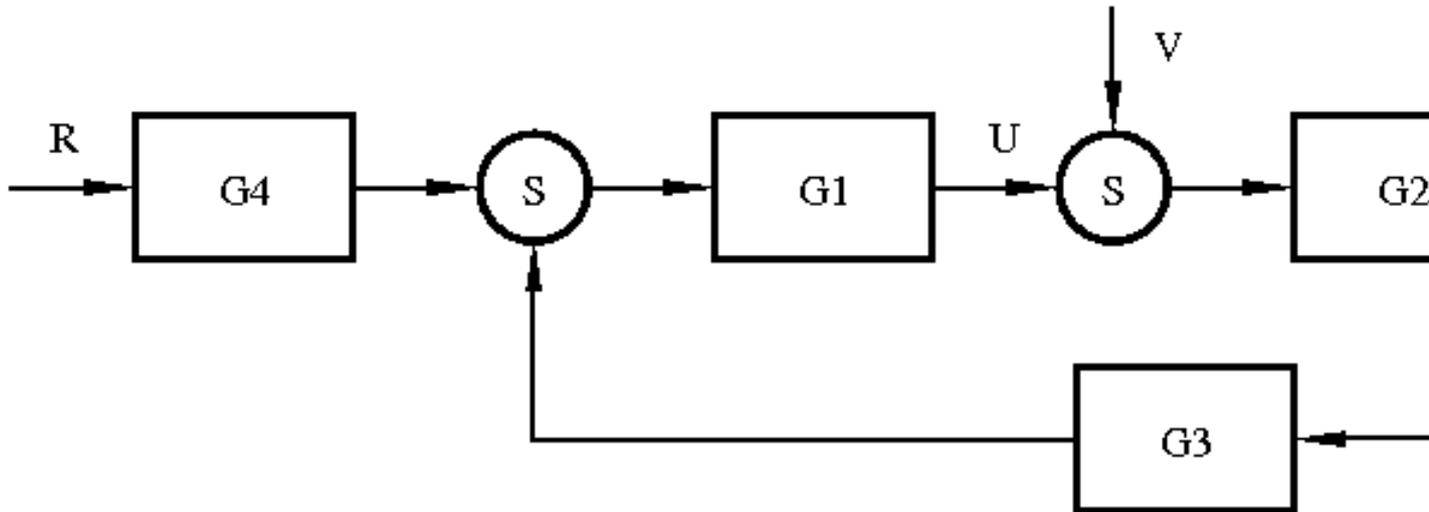


Figure 1: block diagram

2.0.4 4.

Above all function implementations you must define the process type, e.g,

```

struct BallAndBeam <: PhysicalProcess
    h::Float64
    bias::Float64
end
BallAndBeam() = BallAndBeam(0.01, 0.0) # Constructor with default value of sample time
  
```

Make sure you inherit from `PhysicalProcess` or `SimulatedProcess` as appropriate. This type must contains fields that hold information about everything that is relevant to a particular instance of the process. Different ballandbeam-process have different biases, hence this must be stored. A simulated process would have to keep track of its state etc. in order to implement the measure and control methods. See [Types in julia documentation](https://docs.julialang.org/en/stable/manual/constructors/) for additional info regarding user defined types and (constructors)[https://docs.julialang.org/en/stable/manual/constructors/].

2.0.5 5.

Documentation of all interface functions is available in the file [interface_documentation.jl](#)

3 How to control a process

The interface `AbstractProcess` defines the functions `control(P, u)` and `measure(P)`. These functions can be used to implement your own control loops. A common loop with a feedback controller and a feedforward filter on the reference is implemented in the function [run_control_2DOF](#), where the user can supply G_1 and G_4 in the diagram below, with the process $P = G_2$.

The macro `@periodically` might come in handy if you want to implement your own loop. Consider the following example, in which the loop body will be run periodically with a sample time of `h` seconds.

```
for (i,t) = enumerate(0:h:duration)
    @periodically h begin
        y[i] = measure(P)
        r[i] = reference(t)
        u[i] = calc_control(y,r)
        control(P, u[i])
    end
end
```

Often one finds the need to implement a stateful controller, i.e., a function that has a memory or state. To this end, the type `SysFilter` is provided. This type is used to implement control loops where a signal is filtered through a dynamical system, i.e., $U(z) = G1(z)E(z)$. Usage is demonstrated below, which is a simplified implementation of the block diagram above (transfer function- and signal names corresponds to the figure). First two `SysFilter` objects are created, these objects can now be used as functions of an input, and return the filtered output. The `SysFilter` type takes care of updating and remembering the state of the system when called.

```
G1f = SysFilter(G1)
G4f = SysFilter(G4)
function calc_control(y,r)
    rf = G4f(r)
    e = rf-y
    u = G1f(e)
end
```

`G1` and `G4` must here be represented by `StateSpace` types from `ControlSystems.jl`, e.g., `G1 = ss(A,B,C,D)`. `TransferFunction` types can easily be converted to a `StateSpace` by `Gss = ss(Gtf)`. Continuous time systems can be discretized using `Gd = c2d(Gc, h)[1]`. (The sample time of a process is available through `h = sampletime(P)`.)

4 How to implement a Simulated Process

4.1 Linear process

This is very easy, just get a discrete time `StateSpace` model of your process (if you have a transfer function, `Gss = ss(Gtf)` will do the trick, if you have continuous time, `Gd = c2d(Gc,h)[1]` is your friend).

You now have to implement the methods `control` and `measure` for your simulated type. The implementation for `BeamSimulator` is shown below

```
control(p::BeamSimulator, u) = p.Gf(u)
measure(P) = vecdot(p.Gf.sys.C, p.Gf.state)
```

The `control` method accepts a control signal (`u`) and propagates the system state (`p.Gf.state`) forward using the statespace model (`p.Gf.sys`) of the beam. The object `Gf` (of type `SysFilter`) is familiar from the "Control" section above. What it does is essentially (simplified)

```
function Gf(input)
    sys      = Gf.sys
    Gf.state .= sys.A*Gf.state + sys.B*input
    output   = sys.C*Gf.state + sys.D*input
end
```

hence, it just performs one iteration of

$$\dot{x} = Ax + Bu \tag{1}$$

$$y = Cx + Du \tag{2}$$

The `measure` method performs the computation $y = Cx$, the reason for the call to `vecdot` is that `vecdot` produces a scalar output, whereas `C*x` produces a 1-element `Matrix`. A scalar output is preferred in this case since the `Beam` is SISO.

It should now be obvious which fields are required in the `BeamSimulator` type. It must know which sample time it has been discretized with, as well as its discrete-time system model. It must also remember the current state of the system. This is not needed in a physical process since it kind of remembers its own state. The system model and its state is conveniently covered by the type `SysFilter`, which handles filtering of a signal through an LTI system. The full type specification for `BeamSimulator` is given below

```
struct BeamSimulator <: SimulatedProcess
    h::Float64
    Gf::SysFilter
    BeamSimulator() = new(0.01, SysFilter(beam_system, 0.01))
    BeamSimulator(h::Real) = new(Float64(h), SysFilter(beam_system, h))
end
```

It contains three fields and two inner constructors. The constructors initialize the system filter by creating a `SysFilter`. The variable `beam_system` is already defined outside the type specification. One of the constructors provides a default value for the sample time, in case the user is unsure about a reasonable value.

4.2 Non-linear process

Your first option is to linearize the process and proceed like above. Other options include

1. Make `control` perform forward Euler, i.e., $x[t+1] = x[t] + f(x[t], u[t])*h$ for a general system model $x' = f(x, u); y = g(x, u)$ and sample time h .

2. Integrate the system model using some fancy method like Runge-Kutta. See [DifferentialEquations.jl](#) for discrete-time solving of ODEs (don't be discouraged, this is almost as simple as forward Euler above).

5 Exported functions and types

```
Modules = [LabProcesses]
Private = false
Pages   = ["LabProcesses.jl", "controllers.jl", "reference_generators.jl", "utilities.jl"]
```

6 Process interface specification

All processes must implement the following interface. See the existing implementations in the folder `interface_implementations` for guidance.

```
Modules = [LabProcesses]
Private = false
Pages   = ["interface_documentation.jl"]
```

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